

MATHEMATICS 3 PERIODS

PART B

DATE: 2nd of June 2025 Morning

DURATION OF THE EXAMINATION:

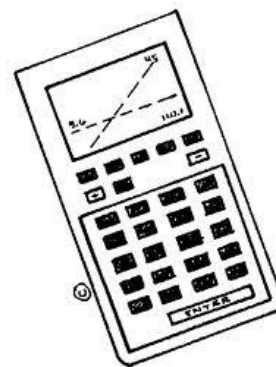
2 hours (120 minutes)

AUTHORISED MATERIAL:

Examination with technological tool: Approved calculator

Pencil for the graphs

Formelsammlung / Formula booklet / Recueil de formules



SPECIFIC INSTRUCTIONS:

- Use a different page for each question.
- Answers must be supported by explanations.
- Answers must show the reasoning behind the results or solutions provided.
- If graphs are used to find a solution, they must be sketched as part of the answer.
- Unless indicated otherwise, full marks will not be awarded if a correct answer is not accompanied by supporting evidence or explanations of how the results or the solutions have been achieved.
- When the answer provided is not the correct one, some marks can be awarded if it is shown that an appropriate method and/or a correct approach has been used.

EUROPEAN BACCALAUREATE 2025: MATHEMATICS 3 PERIODS

PART B		
QUESTION B1	Page 1/3	Marks
<p>Part 1</p> <p>A company launched an online service in 2020, and has seen rapid growth in the number of subscribers each year. The company believes that the growth follows an exponential model S given by:</p> $S(t) = 5000 \cdot e^{0.3t},$ <p>where $S(t)$ is the number of subscribers t years after 2020.</p> <p>a) Write down the number of subscribers the company had in 2020.</p> <p>b) Estimate the number of subscribers there will be in 2025.</p> <p>c) Determine the annual growth rate as a percentage.</p> <p>d) The company aims to reach 100 000 subscribers. Determine in which year this is likely to be achieved.</p>		<p>1 mark</p> <p>1 mark</p> <p>2 marks</p> <p>2 marks</p>

EUROPEAN BACCALAUREATE 2025: MATHEMATICS 3 PERIODS

PART B																				
QUESTION B1	Page 2/3	Marks																		
<p>Part 2</p> <p>The same company has been tracking its annual advertising spending and corresponding revenue for several years. The data are given in the table:</p> <table border="1"> <thead> <tr> <th>Year</th><th>Advertising Spending, x, in thousands of euros</th><th>Revenue, y, in thousands of euros</th></tr> </thead> <tbody> <tr> <td>2020</td><td>20.5</td><td>149.8</td></tr> <tr> <td>2021</td><td>25.3</td><td>181.7</td></tr> <tr> <td>2022</td><td>30.2</td><td>200.5</td></tr> <tr> <td>2023</td><td>35.4</td><td>239.3</td></tr> <tr> <td>2024</td><td>40.1</td><td>261.4</td></tr> </tbody> </table>		Year	Advertising Spending, x , in thousands of euros	Revenue, y , in thousands of euros	2020	20.5	149.8	2021	25.3	181.7	2022	30.2	200.5	2023	35.4	239.3	2024	40.1	261.4	
Year	Advertising Spending, x , in thousands of euros	Revenue, y , in thousands of euros																		
2020	20.5	149.8																		
2021	25.3	181.7																		
2022	30.2	200.5																		
2023	35.4	239.3																		
2024	40.1	261.4																		
e) Represent the above data on a scatter diagram.		2 marks																		
f) Determine the equation of the regression line for the data, in the form $y = mx + p$, with m and p rounded to two decimal places. Draw the regression line on the same diagram.		3 marks																		
g) Interpret the value of the correlation coefficient r .		2 marks																		
h) Using the model $y = 5.7x + 33.8$, estimate the revenue if the company spends 50 thousand euros on advertising.		2 marks																		
i) Interpret in context the values 5.7 and 33.8.		3 marks																		

EUROPEAN BACCALAUREATE 2025: MATHEMATICS 3 PERIODS

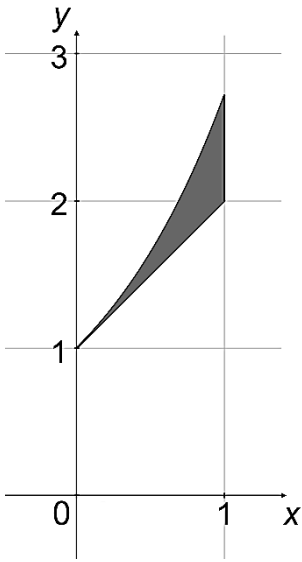
PART B		
QUESTION B1	Page 3/3	Marks
<p>Part 3</p> <p>The company observes that the number of customer orders each month follows a normal distribution with mean $\mu = 1200$ orders and standard deviation $\sigma = 150$ orders.</p> <p>j) Determine the probability that in a given month the company will receive between 1000 and 1350 orders.</p> <p>k) Determine the probability that the company will receive more than 1300 orders in a given month.</p> <p>l) In an advertisement, the company claims that it has at least 800 orders each month.</p> <p>Examine whether this claim is valid.</p>		<p>2 marks</p> <p>2 marks</p> <p>3 marks</p>

EUROPEAN BACCALAUREATE 2025: MATHEMATICS 3 PERIODS

PART B		
QUESTION B2	Page 1/3	Marks
<p>Part 1</p> <p>Yoghurts are often considered part of a healthy diet. Unfortunately, not all yoghurts are healthy, because flavouring may have harmful additives.</p> <p>A wholesaler buys yoghurts from two suppliers: 80% from supplier A and 20% from supplier B.</p> <p>10% of yoghurts from supplier A have flavouring and 20% of those from supplier B also have flavouring.</p> <p>For the following parts a), b) and c), a yoghurt is chosen at random from the wholesaler's stock.</p> <p>a) Determine the probability that the yoghurt comes from supplier B and has flavouring.</p> <p>b) Show that the probability that the yoghurt has no flavouring is 0.88.</p> <p>c) Given that the yoghurt has flavouring, determine the probability that it comes from supplier B.</p> <p>d) The wholesaler has a large stock and sells packages of 10 yoghurts selected at random.</p> <p>Determine the probability that all 10 yoghurts in a package chosen at random have no flavouring.</p>		<p>2 marks</p> <p>3 marks</p> <p>2 marks</p> <p>3 marks</p>

EUROPEAN BACCALAUREATE 2025: MATHEMATICS 3 PERIODS

PART B		
QUESTION B2	Page 2/3	Marks
<p>Part 2</p> <p>Milk is important for our health because it provides us with nutrients such as protein. A cow produces milk for approximately 10 months after giving birth. Milk production in litres per day from a cow of a certain breed is modelled by the function f defined by:</p> $f(t) = -0.00068t^2 + 0.1831t + 24, \quad 0 \leq t \leq 300,$ <p>where t is the time in days after the cow gives birth.</p> <p>e) Determine $f'(200)$. Interpret its meaning in context.</p> <p>f) Examine whether milk production of 40 litres per day is possible for this cow.</p> <p>g) Determine for how many days milk production exceeds 30 litres per day for this cow.</p>		<p>3 marks</p> <p>2 marks</p> <p>4 marks</p>

PART B		
QUESTION B2	Page 3/3	Marks
<p>Part 3</p> <p>A yoghurt production company has a symbol designed by enclosing a region, shaded in the diagram, between the graphs of the functions g and h and the line $x = 1$, where:</p> $g(x) = e^x$ $h(x) = x + 1.$ <div style="text-align: right;">  </div> <p>h) Show that the graphs of the functions g and h intersect on the y-axis.</p> <p>One unit on the graph represents 1 metre.</p> <p>i) Calculate in metres the perimeter of the region shaded in the diagram.</p> <p>Give your answer correct to 2 decimal places.</p> <p>You may use the formula for the arc length L along a graph of f from $x = a$ to $x = b$:</p> $L = \int_a^b \sqrt{1 + (f'(x))^2} dx.$ <p>j) Determine the area of the region shaded in the diagram in square metres. Give your answer correct to 2 decimal places.</p>		
		1 mark
		3 marks
		2 marks